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| University of Mansoura Faculty of Science Physics Department Subject: Physics |  | 2 nd Term : 4 th Years: Physics Date :May 2013 Time allowed : 2 hours |
| Course (s): (Phys. 420) Solid State Physics 2 | | Full Mark : 80 Mark |

Answer the following Questions

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| 1) Explain why mobile electrons appear in some solids and others not? Show how the free electron theory succeeded in explaining the wide spectrum of conductivity. (20 Marks) |
| 2) Discuss the main concepts of the following models: Dulong- Petit, Einstein, and Debye used for describing the relation between specific heat of solids and temperatures (20 Marks) |
| 3) Define the terms and give physical meaning for the following: a) Thermal velocity. b) Drift velocity. c) Mobility d) Polarization and dielectric polarization e) Dielectric constant and dielectric loss (20 Marks) |
| 4) Based on Free electron model calculate both DC and AC conductivities, explain carefully the physical meaning of your results. (20 Marks) |
| Examiners |
| 1- Prof. Dr. F.M. Reicha 2- Prof. Dr. A. A. El-Bedawy |

المستوى الرابع - الفيزياء - فيزياء نووية (3) ف 421

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| Mansoura University Faculty of Science Physics Department | Year: 4 th Level Specialization: Physics Program | Second Semester, 2012-2013 June, 2013 Time: 2 Hours |
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Subject: Nuclear Physics Saturday 1/6/2013 12-02 PM

كود المادة: ف 421 / أسم المادة: فيزياء / أسم المقرر: فيزياء نووية (3)

| Answer (5) Questions Only (Full Mark : 80) | | Mark |
|--|--|------|
| 1- | Using Time-Dependent Perturbation Theory in Beta Decay to derive Fermi – Golden Rule number two. | 16 |
| 2- | In Fermi theory of beta decay, describe the physical situation applied to the transition rate equation and calculate the square of the matrix element of interaction. | 16 |
| 3a- | Classify in table the beta transitions according to ft-values. | 10 |
| 3b- | Calculate the Log ft value for $O^{14} (\beta^+) N^{14}$ decay. Given $Q = 1.81$ MeV, $T_{1/2} = 70.6$ s . | 6 |
| 4a- | Describe and discuss the experiment of Reines and Cowan to detect neutrino . | 10 |
| 4b- | Calculate the mean free path of 1.5 MeV neutrinos through water. Given $\sigma_{\nu H} = 0.42 \times 10^{-44} \text{ cm}^2$. | 6 |
| 5a- | Give and define each term in the classical and quantum mechanical expressions for the coupling energy between two magnetic dipole moments μ_i and μ_j for a hydrogenlike (single electron) atom of nuclear charge Z . | 10 |
| 5b- | Consider the electronic ground state of the hydrogen atom , for which $l = 1/2$, $J = 1/2$ and $F = 0$ or 1 . Calculate the difference in energy by using the quantum mechanical expression . Calculate also the frequency and wavelength of the photon emitted from the $F = 1$ to the $F = 0$. | 6 |
| 6a- | Study the effect of an external magnetic field on the hyperfine structure and determine Larmor precession. Calculate the Larmor frequency and the corresponding wavelength for $\mu = 1$ nm , $l = 1$ and $B = 1$ Wb/m ² . | 10 |
| 6b- | Review some of the main features of molecular excitations and transitions. Discuss the rotational part in greater detail. | 6 |
| With our Best Wishes | | |

Examiners : Prof. Dr. Ali H. El-Farrash Dr. Ahmed Abu El-Ela*

*Corresponding Examiner

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|---|---|--|
| Mansoura University Faculty of Science Physics Department Subject: Physics |  | Second Term Level : 4 Physics Date : June 2013 Time allowed : 2 hours |
| Course (s): Phys 422 Plasma Physics | | Full Mark:: 80 Mark |

Answer All Questions

[1] a- Explain the following:

- 1- Debye shielding 2- quasineutrality and collective behavior
3- Solitons.

b-

In laser fusion, the core of a small pellet of DT is compressed to a density of $10^{33} m^{-3}$ at a temperature of 30,000,000 K, Estimate the number of particles in a Debye sphere in this plasma .

[20] Mark

[2] Write short account on:

- a- Dispersion
b- nonlinearity
c- double layer
d- Dielectric constant and refractive index of a plasma

[20] Mark

[3] a- Investigate the conditions for an ionized gas to be a plasma?

b- For the plasma system given by

$$\frac{\partial n_e}{\partial t} + \frac{\partial}{\partial x} (n_e v_e) = 0,$$

$$m_e n_e \left[\frac{\partial v_e}{\partial t} + v_e \frac{\partial v_e}{\partial x} \right] = - \frac{\partial p_e}{\partial x} - e n_e E,$$

$$p_e = n_e K T_e \text{ and}$$

$$\frac{\partial}{\partial x} E = 4\pi e (n_i - n_e)$$

where p_e, n_i, n_e, v_e, m_e and E are the pressure, ion density, electron density, electron velocity, electron mass and electric field respectively. Compute the plasma frequency and group velocity by Using a linear study.

[20] Mark

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| Mansoura University Faculty of Science Physics Department Subject: Physics |  | Second Term Level : 4 Physics Date : June 2013 Time allowed : 2 hours |
| Course (s): Phys 422 Plasma Physics | | Full Mark:: 80 Mark |

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[20] Mark

[4] a- For ion acoustic motion

$$\frac{\partial n_i}{\partial t} + \frac{\partial}{\partial x}(n_i v_i) = 0,$$

$$\frac{\partial v_i}{\partial t} + v_i \frac{\partial v_i}{\partial x} = -\frac{e}{m_i} \frac{\partial \phi}{\partial x},$$

$$\frac{\partial^2 \phi}{\partial x^2} = -4\pi e(n_i - n_o \exp(-\frac{e\phi}{KT_e})).$$

For large amplitude prove that the equation of motion for this is given by

$$\frac{1}{2}(\phi')^2 = M^2 \left[\left(1 - \frac{2\phi}{M^2}\right)^{\frac{1}{2}} - 1 \right] + \exp\phi - 1. \text{ and plot the phase plane, finally calculate } U^2$$

In terms of the peak potential ϕ_{max} where U is the velocity of propagation.

b- comment on the applications and uses of Plasma physics. [20] Mark

Examiners:

د. محمد قابيل

ا.د. عماد الشويبي

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|---|-----------------------------------|---|
| Mansoura University Faculty of Science Physics Department | 4 th -Level Physics | 2 nd semester, 2012-2013 June, 2013 (2013-06-08) Time: 3 Hours |
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Ph 423: Quantum Electronics

| Answer All the Following Questions: <small>(Full mark for written exam: 80)</small> | | Mark |
|--|--|------|
| 1. | Applying the free electron theory of metals, calculate the average value of the electron energy using the Fermi distribution at temperature $T^{\circ}K$ $f(E) = 1/\{1 + \exp[(E - E_F)/(kT)]\}$. $[\int_0^{\infty} dy \exp(-y^2) = \sqrt{\pi}/2]$ | 15 |
| 2. | For a metal of work function Φ and Fermi energy level E_F , derive the electron current density emission with respect to the temperature of the metal "Richardson equation". $[\int_{-\infty}^{\infty} dy \exp(-ay^2) = \sqrt{\pi/a}]$ | 15 |
| 3. | Consider a metal of surface barrier height E_c affected by a photo-beam of energy $h\nu$ has electron of energy component E_x in the direction perpendicular to the surface. Calculate the photo-current density perpendicular to the surface for $\nu < \nu_0$ and $\nu > \nu_0$ at temperature $T^{\circ}K$ where ν_0 is the threshold frequency at $0^{\circ}K$. $[\ln(1+x) = -\sum_{n=1}^{\infty} \frac{(-x)^n}{n}]$ | 15 |
| 4. | For a crystal of N-atoms arranged in one-dimension, assume the potential is a rectangular potential barrier of height (V_0), spacing (a) and thickness (b). Assume a very small thickness ($b \rightarrow 0$) while (V_0b) remains constant. Describe the energy levels for electrons inside the crystal for all (V_0) values. | 15 |
| 5. | Consider a three-dimensional crystal of atoms arranged in a periodic pattern in space with lattice vector (\underline{R}), number of atoms N_1, N_2, N_3 and lattice vectors $\underline{a}_1, \underline{a}_2, \underline{a}_3$ in the three directions, respectively. Find the reciprocal lattice vectors $\underline{b}_1, \underline{b}_2, \underline{b}_3$ and the momentum vector \underline{k} of the Bloch function for bcc crystal. | 20 |

With our Best wishes

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| Examiners: | <i>Prof. Essam M. Abulwafa (*)</i> | <i>Dr. Abeer A. Mahmoud</i> |
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Mansoura University
Faculty of Science
Physics Department
Subject : Physics



Forth Year Physics

Second Term
Forth Year : Physics
Date : 11/6/ 2013
Time allowed : 2 hours

Statis.Mech. ph (424)

Answer the following questions

(1) a - Verify the conservative nature of phase space volumes and derive the equation of motion for a statistical ensemble . (20)

b - Calculate the phase space volume for a system contains 10 particles moving freely in a volume V .

(2) a - Write down the canonical Gibbs distribution and show that it for an ideal gas contains the Maxwell- Boltzmann distribution . (20)

b - Use the canonical Gibbs distribution to obtain Helmholtz equation $\bar{H} = \Psi - \theta \frac{\partial \Psi}{\partial \theta}$

(3) a- Derive Gibbs lemma, $\frac{\partial \bar{u}}{\partial \theta} = \frac{1}{\theta^2} \overline{(u - \bar{u})(H - \bar{H})}$ where u is an arbitrary mechanical quantity . (20)

Calculate the relative fluctuation of energy ($\Delta E/E$)

b- Utilize the virial theorem and the equipartition law of energy to obtain the mean energy of a particle moving in an external field with potential $U(r) = A r^6$.

(4) Answer **only a or b**. (20)

a – (i) The partition function for a real gas in thermal contact with a heat reservoir could be written in the form $z = z_0 z_{int}$ where z_0 is the partition function for the ideal gas and z_{int} is the partition function of interaction , find an expression for z_{int} .

(ii) Calculate z_{int} in case of a rarified gas with molecules interact in pairs according to

$$\phi(r) = \frac{A}{r^4}, A > 0.$$

b – Write down the Gibbs distribution for a system with a variable number of particles and obtain the average pressure and average number of particles for the system in terms of the grand potential Ω .

With best wishes
Hayam Mashaly

Mansoura University
Faculty of Science
Physics Department



جامعة المنصورة
كلية العلوم
قسم الفيزياء

Second Term Examination
Physics. Stud.
Time: 2 hours
Date: 13/6/2013

Full mark: 80 mark

Educational Year: Third Level
subject: Physics
Course: Phy325.
Mathematical Physics 2

Answer the following questions.

1-a- Classify the following partial differential equations

i - $u_{xx} + u_{yy} + \sin(u) = 0$, ii - $x^2 u_x + u_y = \sin(x)$ (8mark)

1-b- Verify that the following function is a solution of the given PDE

i - $u_{tt} = a^2 u_{xx}$, $u(x, t) = \sin(at) \cos(x)$

ii - $u_{yy} + u_{xx} + u_{zz} = 0$, $u(x, y, z) = \frac{1}{\sqrt{x^2 + y^2 + z^2}}$ (12mark)

2- Solve the following problem

$u_t(x, t) = u_{xx}(x, t) - u(x, t)$, $0 < x < 1$, $0 < t < \infty$

Bcs $\begin{cases} u(0, t) = 0 \\ u(1, t) = 0 \end{cases}$, IC $u(x, 0) = \sin(\pi x)$ (20mark)

3-Prove that

i - $\mathcal{F}_s(\ddot{f}) = \frac{2}{\pi} \omega f(0) - \omega^2 \mathcal{F}_s(f)$

ii - $\mathcal{L}\{f^{(n)}\} = s^n \mathcal{L}\{f\} - s^{n-1} f(0) - \dots - f^{(n-1)}(0)$ (20mark)

4- Using the Laplace transform to solve the following equation

$u_t(x, t) = u_{xx}(x, t)$, $0 < x < \infty$, $0 < t < \infty$

With Bc $u(0, t) = \sin(t)$, IC $u(x, 0) = 0$ (20mark)

With best wishes

Examiners: Dr. Abeer Awad, Prof. Dr.S.A.El-Wakil



Second Semester

Date: 8-6-2013

Answer the following questions:

Marks

| | | |
|----|--|----|
| 1- | Classify the fixed points of the two following system and study the phase plane for each i. $\dot{x} = x(4 - x - y),$ $\dot{y} = xy - 2y.$ | 20 |
| | ii. $\dot{x} = y,$ $\dot{y} = -\frac{g}{L} \sin x - \lambda y.$ | |
| 2- | i. Show that regular perturbation fails on the boundary value problem $\epsilon y'' + (1 + \epsilon) y' + y = 0, \quad y(0) = 0, \quad y(1) = 1$ ii. Using singular perturbation to solve this problem. iii. Find the inner and outer approximations from the exact solution. | 20 |
| 3- | Derive and discuss (i) the travelling wave solutions and (ii) similarity solution of the KdV equation $u_t - 6uu_x + u_{xxx} = 0$ | 20 |
| 4- | Show that the following system of equations admits a limit cycle $\dot{x} = x + y - x(x^2 + y^2),$ $\dot{y} = -x + y - y(x^2 + y^2)$ | 20 |

Best wishes:

Examiners:

* أ.د/ عطاءة الحنبلى