

MANSOURA UNIVERSITY	YEAR: 4 TH LEVEL	SECOND SEMESTER
FACULTY OF SCIENCE	SPECIALIZATION:	MAY, 2015
PHYSICS DEPARTMENT	PHYSICS PROGRAM	TIME: 2 HOURS

Subject: Nuclear Physics (فيزياء نووية - ف ٤١٤)

ANSWER THE FOLLOWING QUESTIONS:		(FULL MARK: 80)	Mark
1.a)	Define briefly Nordheim strong rule applied in nuclear shell model for odd-odd nuclides.		8
1.b)	Given the ground state of $^{137}\text{Ba}_{81}$ nuclide to be $3/2^+$, distribute the 31 neutrons above the magic no. 50, then try to label the first excited state by moving one of these neutrons to to fill up the $2d_{3/2}$ state.		12
2.a)	Define the natural nuclear time & show when this time is much shorter than the decay time of the compound nucleus, the decay mode of this compound nucleus is independent of its way of formation.		8
2.b)	Show how the Auger electron emission is an alternative to the emission of X-ray, and calculate the K-x-ray energy, and the L- & M- Auger-electron kinetic energies, given the binding energies for the K, L ₁ and M ₁ electrons obtained from table of isotopes are respectively: 85.529, 15.347 and 3.704 keV.		12
3.a)	Mention the angular momentum & parity selection rules for a transition between an initial excited state (I_i, π_i) and final state (I_f, π_f) , and having a multipole order L.		9
3.b)	In the level scheme of ^{72}Se nuclide, the level at energy 1317 keV has a half life of 8.7×10^{-12} sec & decays by three gamma transitions of energies 1317, 455 & 380 keV, knowing that the corresponding ratios of their partial decay rates are : 51 : 39 : 10 respectively, calculate the total & partial decay constants of these transitions in sec^{-1}		11
4	Define the nuclear reaction cross-section, and then solve the following problem: One gram of natural neodymium is exposed for 4 days to thermal neutron flux = $1 \times 10^{13} \text{ n/cm}^2/\text{sec}$. Calculate the amount & activity of $^{147}\text{Nd}^*$ given according to the following reaction: $^{146}\text{Nd} + ^1_0\text{n} \rightarrow ^{147}\text{Nd}^* \rightarrow ^{147}\text{Pm} + \beta^- + \bar{\nu}$ ($\sigma = 2$ barn, the natural abundance of ^{146}Nd is 17%, $t_{1/2}$ of $^{147}\text{Nd}^* = 11.1\text{d}$).		20

WITH OUR BEST WISHES

EXAMINERS:	Prof. Dr Ali H. El-Farrash	Dr Ahmad Abou Ela Ahmad
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<p>Mansoura University Faculty of Science PHYSICS DEPARTMENT Final Exam – 2nd Term (May 2015)</p>	 2014 – 2015	<p>Fourth Year Students (<i>Physics</i>) Course: PHY 422 (Plasma Physics) Time allowed: 2 hours</p>
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Answer the following questions

(Q1: 30 Mark, Q2: 30 Mark, Q3: 20 Mark) Full Mark: 80

Q1:

- A) Define the term “*Plasma*” and explain briefly the plasma criteria.
- B) Derive the cyclotron frequency and Larmor radius of a charged particle.
- C) Define the magnetic mirrors and prove the invariance of the magnetic moment μ of a gyrating particle.

Q2:

- A) Illustrate briefly the main differences between the single-particle model of plasma and the fluid model.
- B) Obtain the different drift velocities (v_E , v_D) of a fluid drifts perpendicular to the applied magnetic field \mathbf{B} and explain the origin the diamagnetic drift.

Q3:

Analyze **linearly** and **nonlinearly** a plasma system consisting of electrons and ions where the ions follow the thermal Boltzmann distribution. Derive the linear dispersion relation and the nonlinear K-dV equation and show the soliton solution that appear in the plasma system.

With my best wishes,,,,,

Dr. M. Sallah

12/11

Mansoura University Faculty of Science Physics Department		2 nd semester, 2014-2015 Time: 2 Hours Full mark: 80
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Ph 423: Quantum Electronics

Answer the Following Questions		Mark
1.	Consider the case of an electron with energy E in a field of zero potential energy which encounters a potential field of magnitude $V_0 < E$. Find the reflection and transmission coefficients.	20
2.	Assuming a rectangular potential barrier of height (V_0), spacing (a) and thickness (b). Describe the allowed energy bands of electrons inside the crystal for all (V_0) values, assume a very small thickness ($b \rightarrow 0$) while ($V_0 b$) remains constant.	20
3.	Deduce the reciprocal lattice vectors $\vec{b}_1, \vec{b}_2, \vec{b}_3$ for a three-dimensional crystal of atoms arranged in a periodic pattern in space with lattice vector \vec{R} , number of atoms N_1, N_2, N_3 and lattice vectors $\vec{a}_1, \vec{a}_2, \vec{a}_3$ in the three directions, respectively. For a- Face centered cubic lattice form. b- Simple rhombic lattice form.	20
4.	Consider a metal of work function Φ and Fermi energy level E_f , derive the emission electron current density by the effect of temperature of the metal "Richardson equation".	20

With our Best wishes

Examiners	Prof. Dr. Abdel Razik R. Degheidy	Dr. Elkenany B. Elkenany (*)
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Mansoura University
Faculty of Science
Physics Department
Subject : Physics



Forth Year Physics

Statis.Mech. ph (424)

Second term
Forth Year : Physics
Date : 2/6/ 2015
Time allowed : 2 hours

Answer the following questions

(1) a – Write the physical meaning of the 6 – N dimensional phase space and the distribution function $W(\vec{X}; t)$. Mark (20)

b – Derive the equation of motion for a phase space ensemble and discuss the physical meaning for each of the following relations,

(i) $[H, W] = 0$

(ii) $\vec{X} = 0$

(iii) $\frac{d}{dt} \int_{G_t} W(\vec{X}; t) d\vec{X} = 0$

(2) a – Obtain an expression for the entropy of an isolated closed system in terms of its phase space volume. (25)

b – Find the phase space volume and the entropy for a system contains 5 particles moving freely in an isolated container of volume V at absolute temperature T.

(3) a – Gibb's canonical distribution is given by $W(\vec{X}) = e^{\frac{\psi(\theta, a) - H(\vec{X}, a)}{\theta}}$, what is the (25)

Physical meaning of $\psi(\theta, a)$. Show that $\psi(\theta, a) = -\theta \ln z$ where z is the partition Function of the system . Obtain an expression for the entropy S in terms of ψ .

b – The Hamiltonian of a system containing N independent one dimensional simple

harmonic oscillators is given by $H = \sum_{i=1}^N \left(\frac{p_i^2}{2m} + \frac{1}{2} m \omega^2 q_i^2 \right)$, find the partition

function and the entropy of the system . (Note: $\int_0^{\infty} e^{-\alpha x^2} dx = \frac{1}{2} \sqrt{\frac{\pi}{\alpha}}$)

(4) State without prove the equipartition law of kinetic energy. Find the mean energy of a particle moving in a straight line under a damping force with potential $F = \alpha q^2 + \beta q^4$ where α and β are constants. (10)

With best wishes

Hayam mashaly



Answer the following questions:

1.a. Write shortly on the physical items:

Current density in metals, mobility, means free path, thermal velocity and drift velocity. [15 Mark]

1.b. What is the maximum velocity of an electron in a metal which the Fermi energy has a value of 3.75 eV. Given: $e=1.602 \times 10^{-19}$ C and $m=9.1 \times 10^{-31}$ Kg. [5 Mark]

2.a. Discuss Sommerfeld model, and explain the relation between energy and wavenumber. [15 Mark]

2.b. Briefly discuss the factors affecting a resistivity of metals. [5 Mark]

3. Give the main concepts of the following models:

Dulong-Petit, Einstein, and Debye, used for describing the relation between specific heat of solid and temperatures. [20 Mark]

4.a. What are dielectrics? And give the important points for the selections of dielectric materials. [7.5 Mark]

4.b. Write on the dielectric properties such as dielectric constants, dielectric loss, and dielectric strength. [7.5 Mark]

4.c. Discuss the ferroelectric behavior and piezoelectric behavior with examples. [5 Mark]